

# Nature-based tourism in the Agulhas Plain: a vehicle for integrated biodiversity conservation


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for CAPE Landscape Initiatives Knowledge  
Exchange 2010

the context



# Cape Action Plan for the Environment (CAPE)

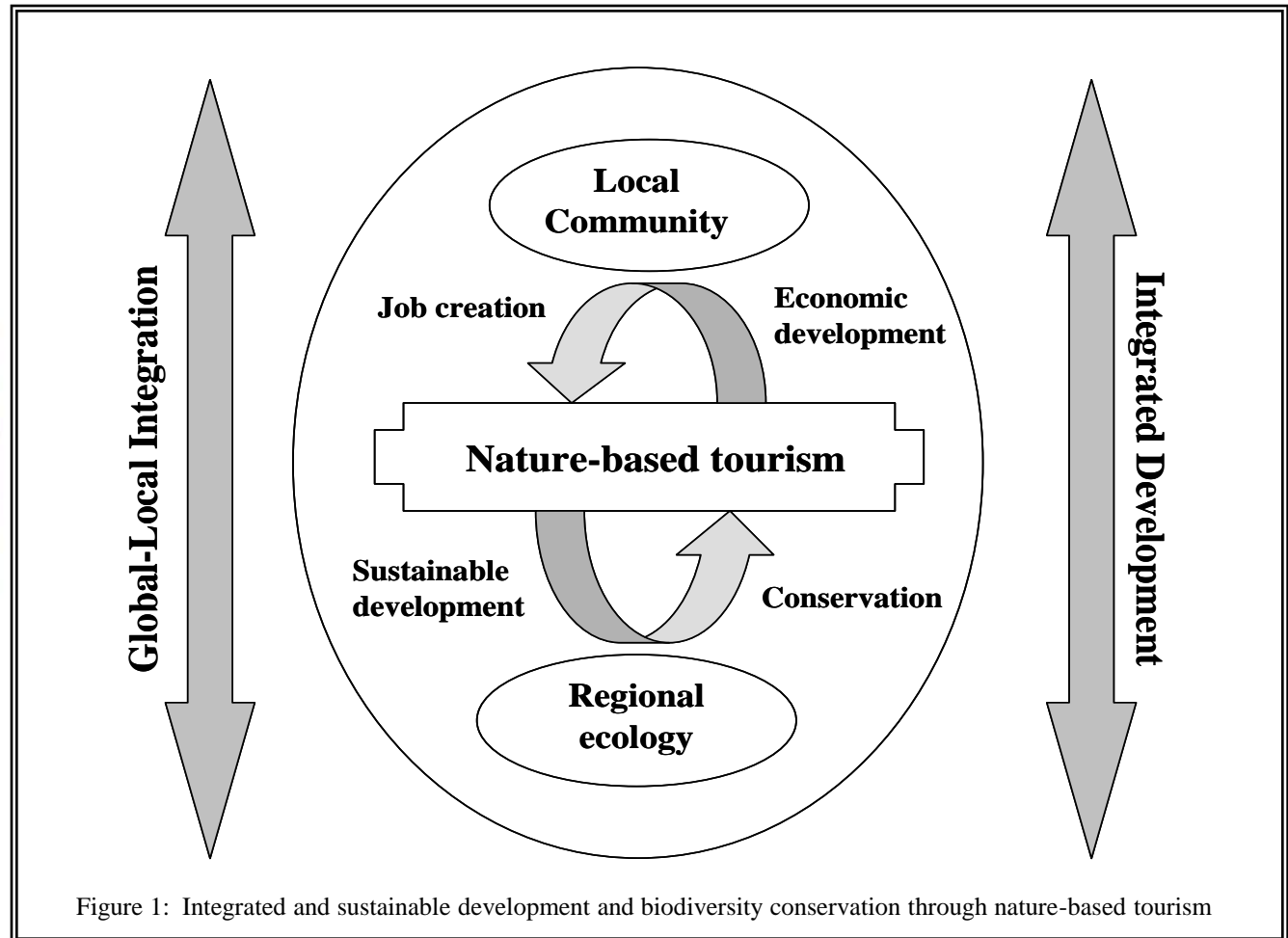
- Nature-based tourism identified as key vehicle for meeting *both* the developmental goals of the local community *and* the conservation goals of CAPE
- Pronounced the Agulhas Plain as a terrestrial pilot region within the Cape Floristic Region



# Integrated development and biodiversity conservation through nature-based tourism

*“By 2020, the tourism industry is contributing significantly to the sustainability of the natural resources of the Cape Floral Kingdom. Nature-based tourism is attracting visitors to the region, and in turn is providing sustainable benefits to communities, increased incentives for on-going conservation, a contribution to the costs of managing the natural resource base of the industry, a stimulus to the regional economy and a world-class experience for tourists.”*

# Integrated development and biodiversity conservation through nature-based tourism



# What is the value of tourism in Agulhas Plain?

- This study found that tourism in the region could reap between **R64 to R123 million per annum**
- Or R418 - R803 per hectare
- Range sits very well in the current South African literature, in particular valuations for tourism in the Cape Floristic Region (CFR) and Kruger National Park (KNP): R77-126 m



theoretical aspects



# Non-market valuation

- No markets for environmental goods and services – therefore no ‘prices’ to signal scarcity or determine value
- Non-market valuation allows use and non-use values to be estimated using various techniques
- Travel Cost Method is one of them (TCM) & it estimates use value only



# Travel cost method (TCM)

- Revealed preference valuation technique
- Estimates value of a location utilised for recreational or leisure purposes
- Basic concept: visitors incur expenses (both money and time) whilst visiting the recreational location – these expenses are used as a proxy for ‘price’

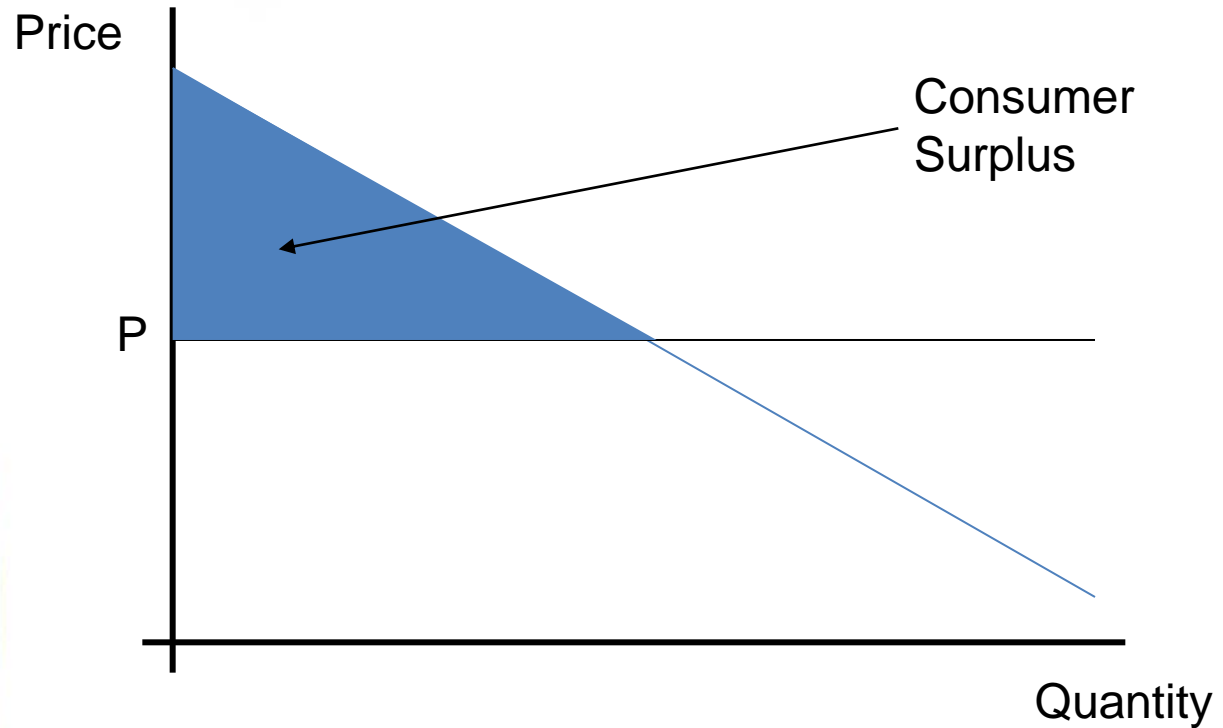
# TCM – economic theory

- As price (travel and time costs involved in reaching a recreational site) *increases*
- Quantity demanded (number of visits in a year) *decreases*

➡ *downward sloping demand curve*

Those who live nearer to the site will visit more regularly in the year than those tourists that live farther away

# TCM – economic theory



- Consumer Surplus = area under demand curve + above price paid = **VALUE**

# Functional Form

$$TV = f \{TC, I, X, L\}$$

The direct demand function for *total visits per annum* (TV) is modelled as a function of independent variable, *total travel costs* (TC) and other factors such as income (I), tourist preferences (X) [such as *total party size, enjoy travel & larger trip*] and location specific factors (L) [such as *owning property, nature & biodiversity, shark-cage diving & activities*]

# Functional Form

The models are shown below with specified functional forms for both TV and TC:

<b>Model 1:</b> Reciprocal	$TV = 1/TC + f(I,X,L)$
<b>Model 2:</b> Log-log	$\ln(TV) = \ln(TC) + f(I,X,L)$
<b>Model 3:</b> Quadratic	$TV = \ln(TC) + [\ln(TC)]^2 + f(I,X,L)$
<b>Model 4:</b> Log-linear	$\ln(TV) = TC + f(I,X,L)$
<b>Model 5:</b> Linear-log	$TV = \ln(TC) + f(I,X,L)$

	<b>Model 1 Reciprocal</b>	<b>Model 2 Log-log</b>	<b>Model 3 Quadratic</b>	<b>Model 4 Log-linear</b>	<b>Model 5 Linear-log</b>
<b>Dep var:</b> <b>Indep vars:</b>	TV	Ln(TV)	TV	ln(TV)	TV
<b>Total travel costs (tca1)</b>	(1/TC) 443.826 *** [149.431]	Ln(TC) -0.1599 *** [0.034]	ln(TC) -9.6509 ** [4.017] [ln(tca1)] <sup>2</sup> 0.7117 ** [0.306]	TC -0.0001 *** [0.000]	ln(TC) -0.8669 *** [0.262]
<b>First visit</b>	-1.8609 *** [0.483]		-2.7981 *** [0.548]		
<b>Total party size</b>	-0.6300 ** [0.268]		-0.6502 ** [0.275]		-0.3448 [0.269]
<b>Enjoy travel</b>	1.6301 *** [0.614]				1.4246 *** [0.545]
<b>Larger trip</b>	-1.2438 ** [0.516]	-0.3034 *** [0.095]		-0.3409 *** [0.098]	-2.0215 *** [0.572]
<b>Owning property</b>	5.0305 *** [1.182]	1.0574 *** [0.106]	5.0658 *** [1.171]	1.0807 *** [0.108]	5.6482 *** [1.180]
<b>Nature &amp; biodiversity</b>	-3.1020 *** [0.770]	-0.3277 *** [0.101]	-3.4423 *** [0.864]	-0.3306 *** [0.103]	-2.8243 *** [0.831]
<b>Shark-cage diving</b>		-0.3700 *** [0.092]		-0.3586 *** [0.091]	
<b>Activities influential</b>			1.2552 *** [0.445]		

<b>Income1 (less than R4,999)</b>	-0.8343 [0.738]	-0.3027 ** [0.139]	-0.3623 [0.785]	-0.3564 ** [0.150]	-1.2431 Δ [0.793]
<b>Income2 (R5,000-9,999)</b>	-2.7791 *** [0.816]	-0.4950 *** [0.117]	-2.1486 *** [0.741]	-0.5037 *** [0.119]	-2.7255 *** [0.854]
<b>Income3 (R10,000- 14,999)</b>	-1.1933 [0.864]	-0.2152 * [0.119]	-1.0501 [0.836]	-0.2007 * [0.120]	-1.1400 [0.891]
<b>Income4 (R15,000- 19,999)</b>	0.1027 [1.820]	-0.1724 [0.155]	0.7277 [1.794]	-0.1614 [0.157]	0.0630 [1.828]
<b>Income5 (R20,000- 24,999)</b>	-1.8944 ** [0.919]	-0.1132 [0.166]	-1.3639 Δ [0.910]	-0.0914 [0.175]	-1.7476 * [0.960]
<b>Income6 (R25,000- 29,999)</b>	-1.9425 ** [0.857]	-0.4478 *** [0.139]	-1.5276 ** [0.755]	-0.4725 *** [0.142]	-1.9941 ** [0.899]
<b>Income7 (R30,000- 39,999)</b>	-1.2901 * [0.732]	-0.2882 ** [0.122]	-1.1030 Δ [0.735]	-0.3485 *** [0.122]	-1.9242 ** [0.836]
<b>Missing expenses</b>	-1.9190 *** [0.574]	-0.3101 *** [0.092]	-2.0454 *** [0.609]	-0.2949 *** [0.090]	-1.7607 *** [0.587]
<b>Constant</b>	5.9131 *** [1.547]	2.1554 *** [0.253]	39.5697 *** [13.611]	1.2748 *** [0.167]	11.3669 *** [2.183]
<b>R<sup>2</sup>-adjusted</b>	<b>0.3501</b>	<b>0.5430</b>	<b>0.3403</b>	<b>0.5256</b>	<b>0.3106</b>
<b>R<sup>2</sup> robust</b>	<b>0.3815</b>	<b>0.5621</b>	<b>0.3721</b>	<b>0.5454</b>	<b>0.3416</b>
<b># Observations</b>	<b>312</b>	<b>312</b>	<b>312</b>	<b>312</b>	<b>312</b>
<b>Model Signf.</b>	***	***	***	***	***

Key: \*\*\* significant at 1%; \*\* significant at 5%; \* significant at 10%; Δ significant at 15%

# Derivation of demand function

$$\hat{T\dot{V}} = \beta_0 + \beta_1(1/TC) + \beta_2(\text{first visit}) + \beta_3(\text{total party}) + \beta_4(\text{enjoy travel}) + \beta_5(\text{larger trip}) + \beta_6(\text{property}) + \beta_7(\text{nature}) + \beta_8(\text{inc1}) + \beta_9(\text{inc2}) + \beta_{10}(\text{inc3}) + \beta_{11}(\text{inc4}) + \beta_{12}(\text{inc5}) + \beta_{13}(\text{inc6}) + \beta_{14}(\text{inc7}) + \beta_{15}(\text{misexp}) + \varepsilon$$

$$\hat{T\dot{V}} = 5.913 + 443.826(1/TC) - 1.861(\text{first visit}) - 0.630(\text{total party}) + 1.630(\text{enjoy travel}) - 1.244(\text{larger trip}) + 5.030(\text{property}) - 3.102(\text{nature}) - 0.834(\text{inc1}) - 2.779(\text{inc2}) - 1.193(\text{inc3}) + 0.103(\text{inc4}) - 1.894(\text{inc5}) - 1.942(\text{inc6}) - 1.290(\text{inc7}) - 1.919(\text{misexp}) + \varepsilon$$

$$\hat{T\dot{V}} = 5.913 + 443.826(1/TC) - 1.861(0.362) - 0.630(3.089) + 1.630(0.846) - 1.244(0.340) + 5.030(0.232) - 3.102(0.762) - 0.834(0.058) - 2.779(0.115) - 1.193(0.221) + 0.103(0.122) - 1.894(0.038) - 1.942(0.099) - 1.290(0.096) - 1.919(0.194) + \varepsilon$$

# Derivation of demand function

$$\hat{T\dot{V}} = 1.670 + 443.826 (1/TC) + \varepsilon \quad \text{Model 1}$$

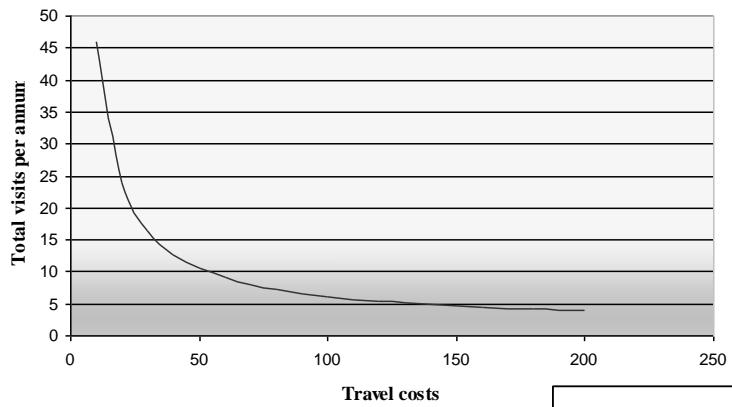
$$\ln(\hat{T\dot{V}}) = 1.673 - 0.160(\ln(TC)) + \varepsilon \quad \text{Model 2}$$

$$\hat{T\dot{V}} = 34.904 - 9.651(\ln(TC)) + 0.712(\ln(TC))^2 + \varepsilon \quad \text{Model 3}$$

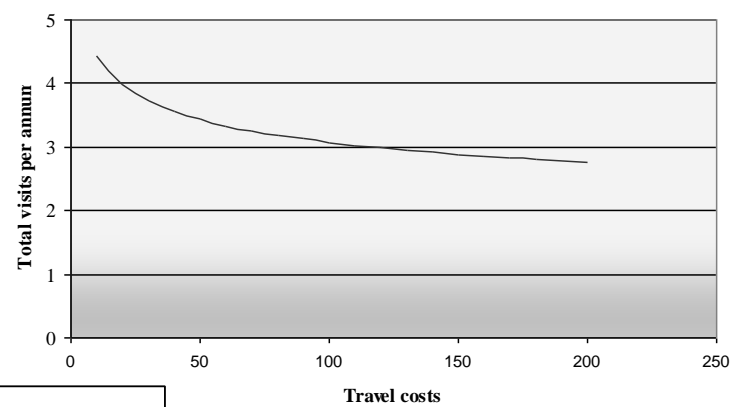
$$\ln(\hat{T\dot{V}}) = 0.782 - 0.0001(TC) + \varepsilon \quad \text{Model 4}$$

$$\hat{T\dot{V}} = 8.555 - 0.870(\ln(TC)) + \varepsilon \quad \text{Model 5}$$

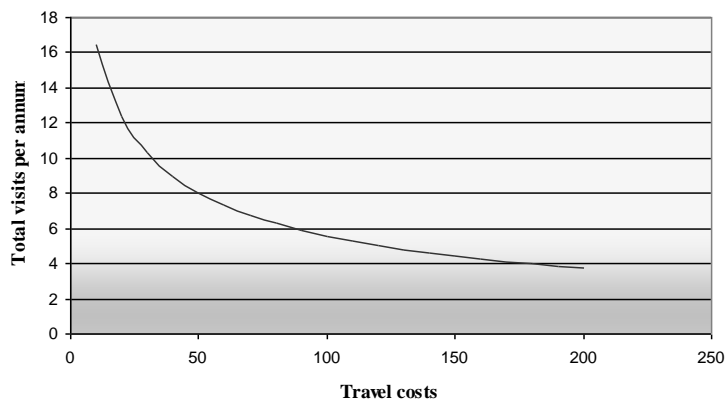
**Model 1 - derived demand curve**



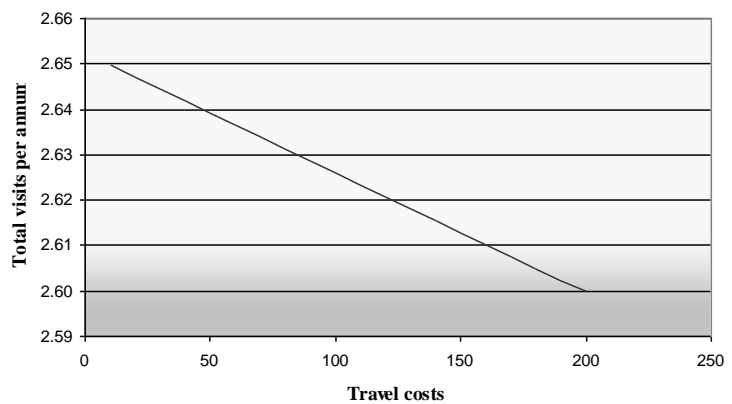
**Model 2 - derived demand curve**



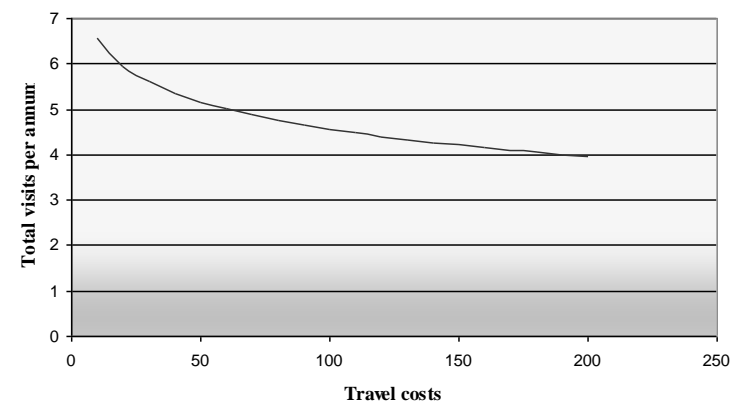
**Model 3 - derived demand curve**



**Model 4 - derived demand curve**



**Model 5 - derived demand curve**

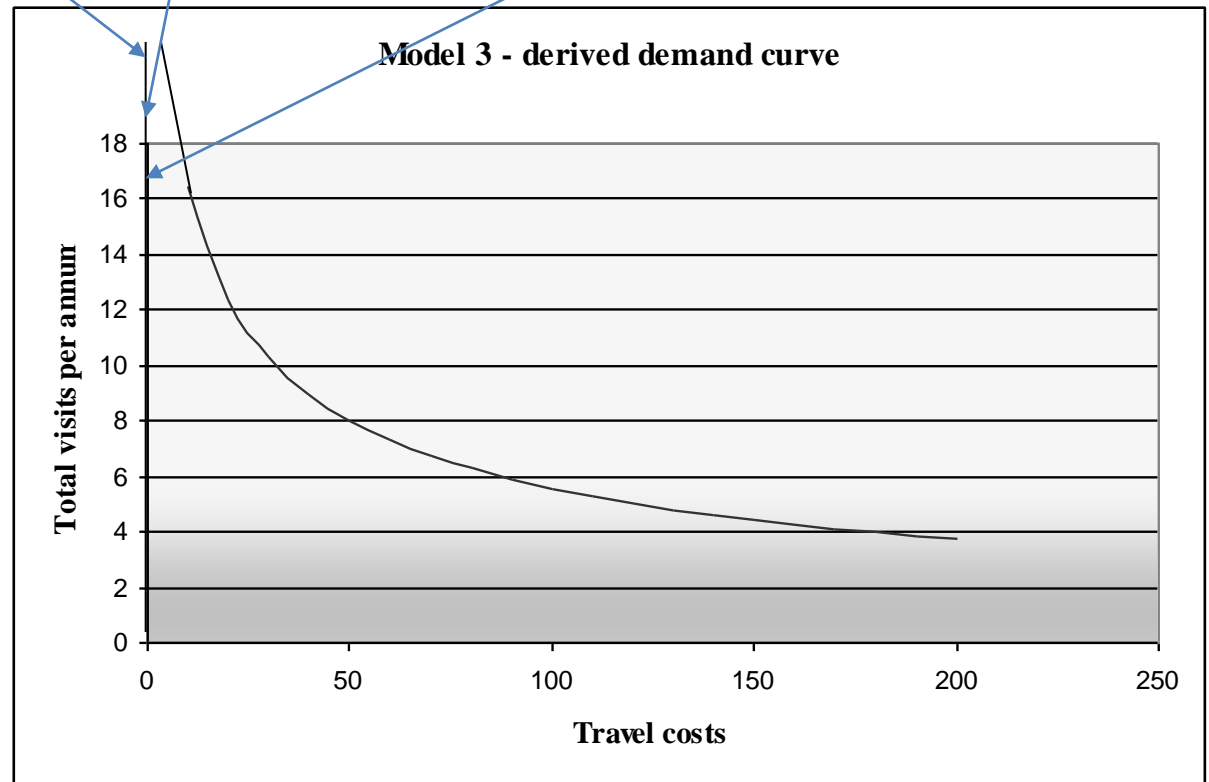


# Choke price

97<sup>th</sup> percentile

95<sup>th</sup> percentile

90<sup>th</sup> percentile



# Consumer surplus: value calculation

$$\text{Individual CS} = \int_{(TC)_i}^{\text{choke}} TV \, d(TC)$$

$$\begin{aligned} \text{Individual CS} = \int_{(TC)_i}^{\text{choke}} & \beta_0 + \beta_1(1/TC) + \beta_2(\text{first visit}) + \beta_3(\text{total party}) + \beta_4(\text{enjoy travel}) \\ & + \beta_5(\text{larger trip}) + \beta_6(\text{property}) + \beta_7(\text{nature}) + \beta_8(\text{inc1}) + \beta_9(\text{inc2}) \\ & + \beta_{10}(\text{inc3}) + \beta_{11}(\text{inc4}) + \beta_{12}(\text{inc5}) + \beta_{13}(\text{inc6}) + \beta_{14}(\text{inc7}) \\ & + \beta_{15}(\text{misexp}) \, d(TC) \end{aligned}$$

$$\text{Individual CS} = \left[ \begin{aligned} & (\beta_0 + \beta_2(\text{first visit}) + \beta_3(\text{total party}) + \beta_4(\text{enjoy travel}) + \beta_5(\text{larger trip}) \\ & + \beta_6(\text{property}) + \beta_7(\text{nature}) + \beta_8(\text{inc1}) + \beta_9(\text{inc2}) + \beta_{10}(\text{inc3}) \\ & + \beta_{11}(\text{inc4}) + \beta_{12}(\text{inc5}) + \beta_{13}(\text{inc6}) + \beta_{14}(\text{inc7}) + \beta_{15}(\text{misexp})) * (TC) \end{aligned} \right]_{(TC)_i}^{\text{choke}} + [\beta_1(\ln(TC))]$$

$$\text{Individual CS} = [(\beta_0 + \dots + \beta_{15}(\text{misexp})) * (\text{choke} - TC_i)] + [\beta_1((\ln(\text{choke}) - \ln(TC_i)))]$$

# Consumer surplus: value calculation

Individual consumer surplus aggregated by number of visitors to the region in the previous year: in the year between July 2009 and June 2010 = **approximately 105,000 visitors**



	<b>Average Individual CS</b>	<b>Average CS Per visit</b>	<b>Average Total WTP Per visit</b>	<b>Aggregated Average Total WTP per annum (millions)</b>	<b>Aggregated Average CS Per annum (millions)</b>
<b>Model 1: Reciprocal</b> [90 <sup>th</sup> percentile] [95 <sup>th</sup> percentile] [97 <sup>th</sup> percentile]	R 1,566 R 2,754 R 4,406	R 444 R 781 R 1,250	R 1,243 R 1,580 R 2,049	R 130.6 m R 166.0 m R 215.2 m	<b>R 46.7 m</b> <b>R 82.0 m</b> <b>R 131.3 m</b>
<b>Model 2: Log-log</b> [90 <sup>th</sup> percentile] [95 <sup>th</sup> percentile] [97 <sup>th</sup> percentile]	R 1,974 R 3,833 R 6,403	R 560 R 1,088 R 1,817	R 1,359 R 1,887 R 2,616	R 142.7 m R 198.1 m R 274.6 m	<b>R 58.8 m</b> <b>R 114.2 m</b> <b>R 190.7 m</b>
<b>Model 3: Quadratic</b> [90 <sup>th</sup> percentile] [97 <sup>th</sup> percentile]	R 5 R 3	R 1 R 1	R 800 R 800	R 84.0 m R 84.0 m	<b>R 0.14 m</b> <b>R 0.10 m</b>
<b>Model 4: Log-linear</b> [90 <sup>th</sup> percentile] [95 <sup>th</sup> percentile] [97 <sup>th</sup> percentile]	R 2,327 R 4,458 R 7,281	R 660 R 1,265 R 2,066	R 1,459 R 2,064 R 2,865	R 153.2 m R 216.7 m R 300.8 m	<b>R 69.3 m</b> <b>R 132.8 m</b> <b>R 216.9 m</b>
<b>Model 5: Linear-log</b> [90 <sup>th</sup> percentile] [95 <sup>th</sup> percentile] [97 <sup>th</sup> percentile]	R 2,356 R 3,838 R 5,504	R 668 R 1,089 R 1,562	R 1,467 R 1,888 R 2,361	R 154.1 m R 198.2 m R 247.9 m	<b>R 70.2 m</b> <b>R 114.3 m</b> <b>R 164.0 m</b>

# Consumer surplus: value calculation

<b>Model 1:</b>	R 47 m to 131 m
<b>Model 2:</b>	R 59 m to 191 m
<b>Model 3:</b>	R 0.10 m to 0.14 m
<b>Model 4:</b>	R 69 m to 217 m
<b>Model 5:</b>	R 70 m to 164 m

Model 3 rejected for inadequate functional form and 97<sup>th</sup> percentile upper limits of range discarded for practical reasons

# Consumer surplus: value calculation

- a more conservative and practical valuation

**Model 1:** R 47 m to 82 m

**Model 2:** R 59 m to 114 m

**Model 4:** R 69 m to 132 m

**Model 5:** R 70 m to 114 m



# Consumer surplus: narrowing the value range down

overall range R 47 - 123 m

maximin – minimax: R 70 - 82 m

min – min: R 47 - 82 m (model 1)

“Averages”: R 61 - 110 m (models 2 & 4 closest to this range)

Models 2 & 4 most robust statistically

# Consumer surplus: narrowing the value range down

Model 2: R 59 - 114 m

Model 4: R 69 - 132 m

Average of these 'selected' models & FINAL valuation of tourism in Agulhas Plain:

R 64 - 123 m

Very close to "averages" approximation {R61-110m} and CFR / KNP estimates {R77-126m}

practical application

# Nature-based tourism

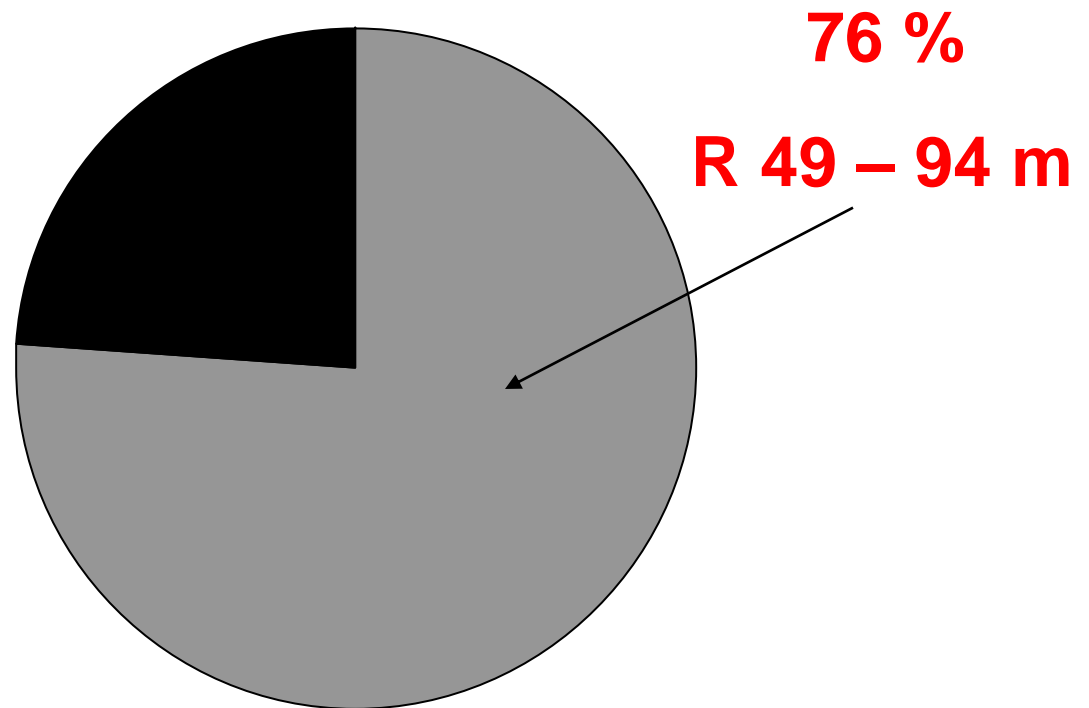
76% of respondents said nature and biodiversity were influential in their decision to visit the region :-

- *extremely influential* 34%

- *quite influential* 42%



# Value attributable to *nature-based tourism*



- nature & biodiversity influential (extremely & quite)
- not influential

Thank you.

Any questions ?